

# Syntax Trees

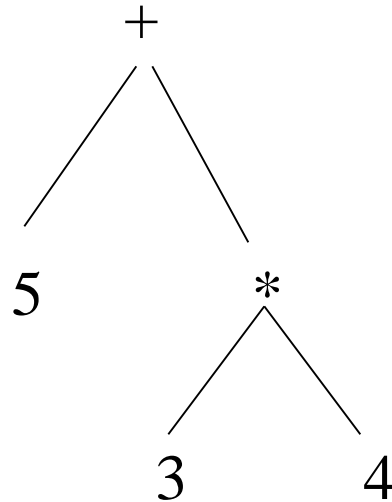
## Syntax-Tree

- an intermediate representation of the compiler's input.
- A condensed form of the parse tree.
- Syntax tree shows the syntactic structure of the program while omitting irrelevant details.
- Operators and keywords are associated with the interior nodes.
- Chains of simple productions are collapsed.

**Syntax directed translation can be based on syntax tree as well as parse tree.**

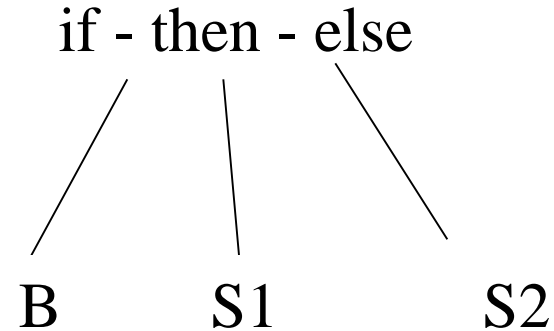
# Syntax Tree-Examples

Expression:



- Leaves: identifiers or constants
- Internal nodes: labelled with operations
- Children: of a node are its operands

if B then S1 else S2



Statement:

- Node's label indicates what kind of a statement it is
- Children of a node correspond to the components of the statement

# Constructing Syntax Tree for Expressions

- Each node can be implemented as a record with several fields.
- Operator node: one field identifies the operator (called *label of the node*) and remaining fields contain pointers to operands.
- The nodes may also contain fields to hold the values (pointers to values) of attributes attached to the nodes.
- Functions used to create nodes of syntax tree for expressions with binary operator are given below.
  - mknnode(op,left,right)
  - mkleaf(id,entry)
  - mkleaf(num,val)

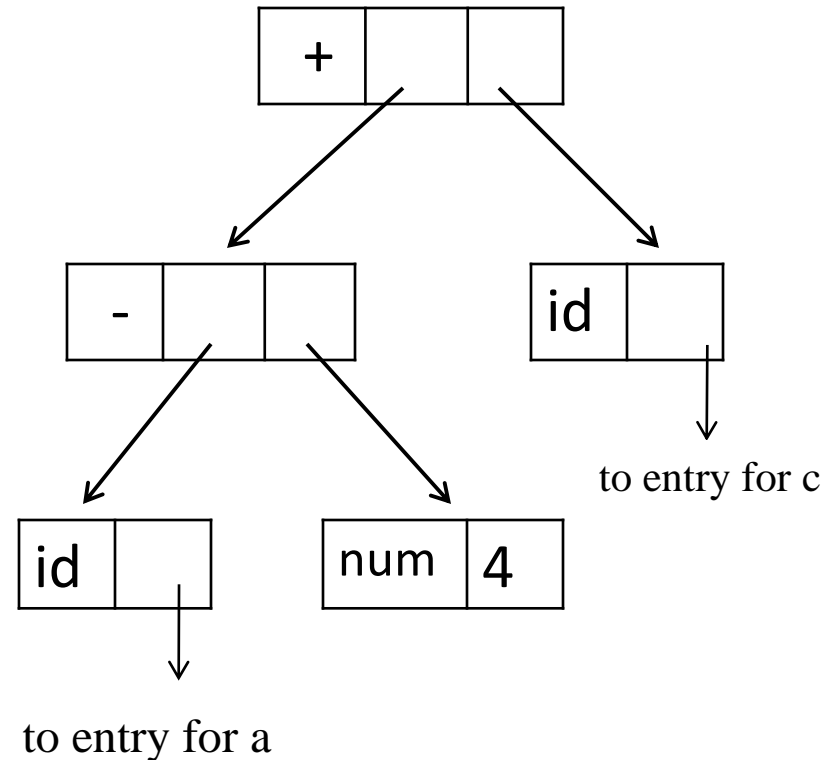
**Each function returns a pointer to a newly created node.**

# Constructing Syntax Tree for Expressions-

Example:  $a-4+c$

1.  $p1 := \text{mkleaf}(\text{id}, \text{entry}_a);$
2.  $p2 := \text{mkleaf}(\text{num}, 4);$
3.  $p3 := \text{mknode}(-, p1, p2);$
4.  $p4 := \text{mkleaf}(\text{id}, \text{entry}_c);$
5.  $p5 := \text{mknode}(+, p3, p4);$

- **The tree is constructed bottom up.**

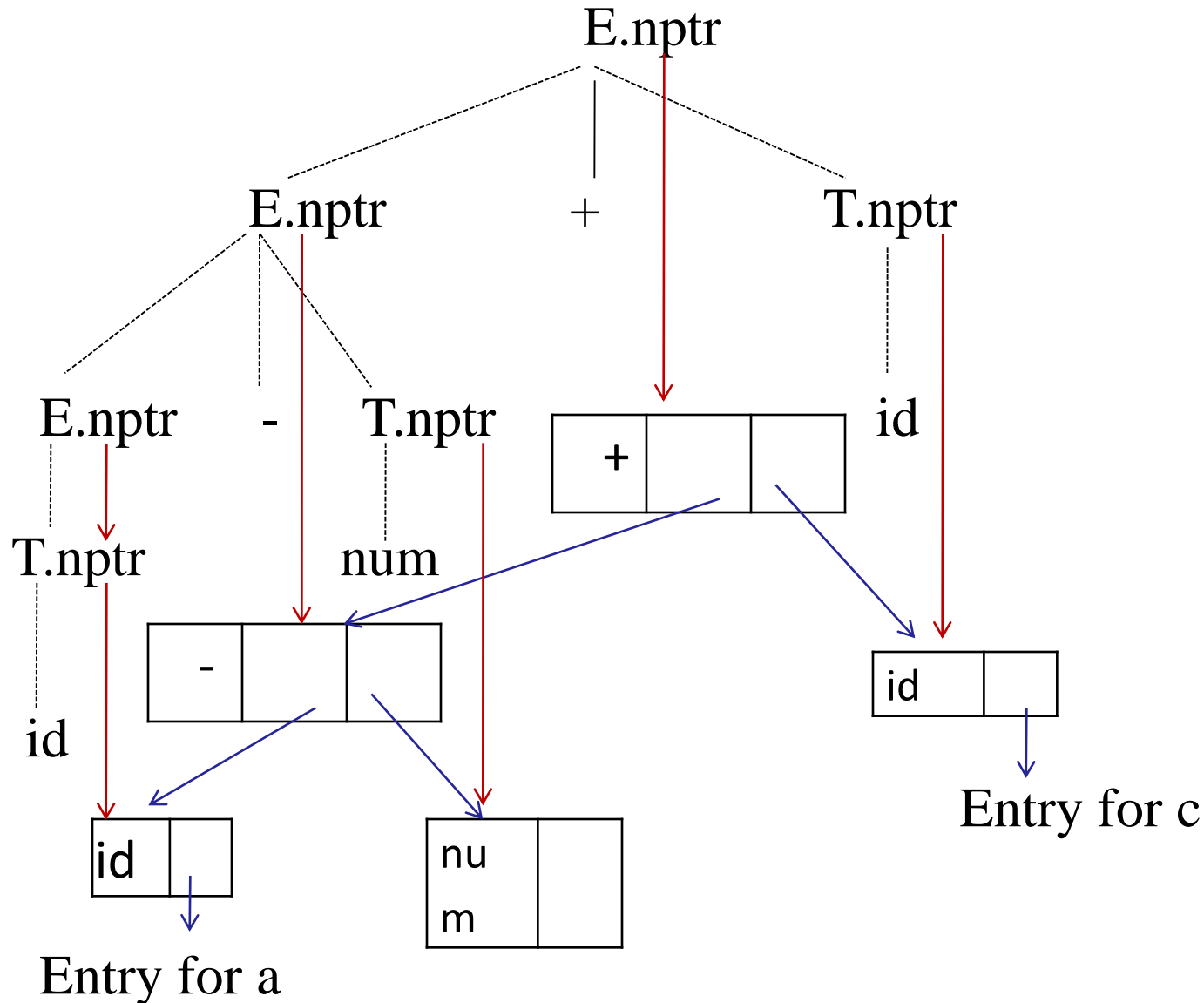


# A syntax Directed Definition for Constructing Syntax Tree

1. It uses underlying productions of the grammar to schedule the calls of the functions *mkleaf* and *mknode* to construct the syntax tree
2. Employment of the synthesized attribute *nptr* (pointer) for E and T to keep track of the pointers returned by the function calls.

<u>PRODUCTION</u>	<u>SEMANTIC RULE</u>
$E \rightarrow E_1 + T$	$E.nptr = mknode(+, E_1.nptr, T.nptr)$
$E \rightarrow E_1 - T$	$E.nptr = mknode(-, E_1.nptr, T.nptr)$
$E \rightarrow T$	$E.nptr = T.nptr$
$T \rightarrow (E)$	$T.nptr = E.nptr$
$T \rightarrow id$	$T.nptr = mkleaf(id, id.lexval)$
$T \rightarrow num$	$T.nptr = mkleaf(num, num.val)$

# Annotated parse tree depicting construction of syntax tree for the expression a-4+c



# Why intermediate code ?

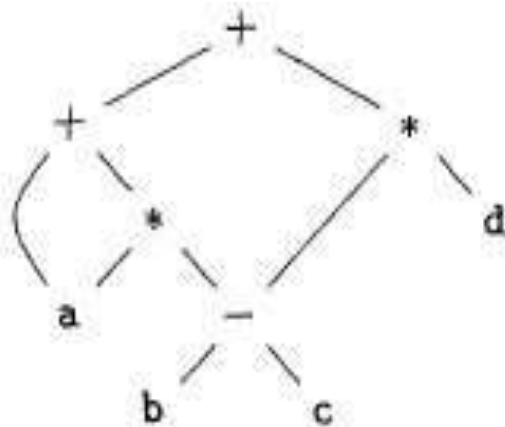
- Details of the source language are confined to the front end (analysis phase) of a compiler, while details of the target machine are confined to the back-end (synthesis) part.
- This saves a considerable amount of effort since with  $m$  front-ends and  $n$  back-ends we have  $m*n$  compilers
- **Intermediate representations**
- **Syntax Trees** : Code is represented in the form of a tree where nodes represent constructs in the source program; the children of a node represent the meaningful components of a construct.
- **Three-Address Code**: Made up of instructions of the general form  $x=y \text{ op } z$  .
- $X$ ,  $y$  and  $z$  are the three addresses.

# Three Address Code (TAC)

- An alternative form of intermediate (lower level) representation.
- $x+y*x$  becomes  $t_1 = y * z$  ,       $t_2 = x + t_1$
- For expressions TAC is very similar to syntax trees.
- For statements it would produce labels and jumps in a similar fashion to machine code



# TAC for $a + a * (b - c) + (b - c) * d$



(a) DAG

```
t1 = b - c  
t2 = a * t1  
t3 = a + t2  
t4 = t1 * d  
t5 = t3 + t4
```

(b) Three-address code

Figure 6.8: A DAG and its corresponding three-address code

# Directed Acyclic Graphs

Nodes in a syntax tree represent constructs in the source program

A DAG is used to identify common sub expressions. e.g.  $a + a * (b - c) + (b - c) * d$

By doing so it gives the compiler important hints on how to generate efficient code to evaluate the expressions

# DAG for $a + a * (b - c) + (b - c) * d$

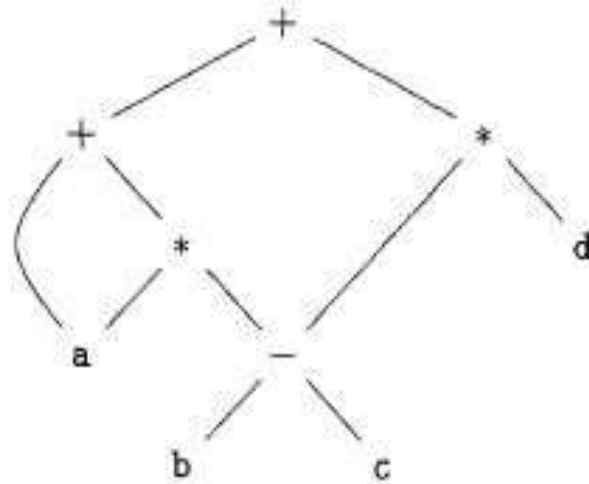


Figure 6.3: Dag for the expression  $a + a * (b - c) + (b - c) * d$

# Quadruples and Triples

- **Data structures to hold three address code instructions.**
- A Quadruple has four fields (  $x = y + z$  )
  - **Op** (+)
  - Arg1 (y)
  - Arg2 (z)
  - Result (x)

# An example ...

```
t1 = minus c
t2 = b * t1
t3 = minus c
t4 = b * t3
t5 = t2 + t4
a = t5
```

(a) Three-address code

	<i>op</i>	<i>arg<sub>1</sub></i>	<i>arg<sub>2</sub></i>	<i>result</i>
0	minus	c		t <sub>1</sub>
1	*	b	t <sub>1</sub>	t <sub>2</sub>
2	minus	c		t <sub>3</sub>
3	*	b	t <sub>3</sub>	t <sub>4</sub>
4	+	t <sub>2</sub>	t <sub>4</sub>	t <sub>5</sub>
5	=	t <sub>5</sub>		a
...				

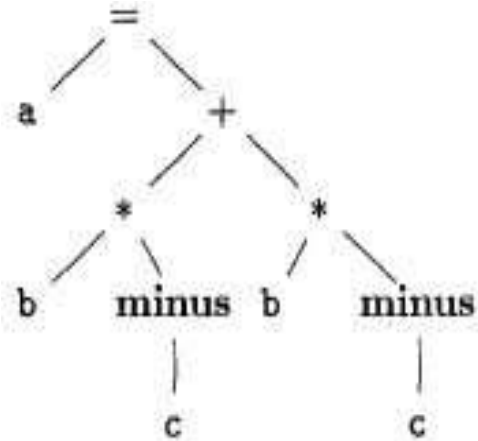
(b) Quadruples

Figure 6.10: Three-address code and its quadruple representation

# Triples

- Omit result field.
- Instead of a result field we can use pointers to the triple structure itself.
- This makes DAG and triple representation practically identical, since we are pointing to a node.
- In next example (n) indicates position n in the triple structure

# An example ...



(a) Syntax tree

	<i>op</i>	<i>arg<sub>1</sub></i>	<i>arg<sub>2</sub></i>
0	minus	c	
1	*	b	(0)
2	minus	c	
3	*	b	(2)
4	+	(1)	(3)
5	=	a	(4)
	...		

(b) Triples

Figure 6.11: Representations of  $a + a * (b - c) + (b - c) * d$

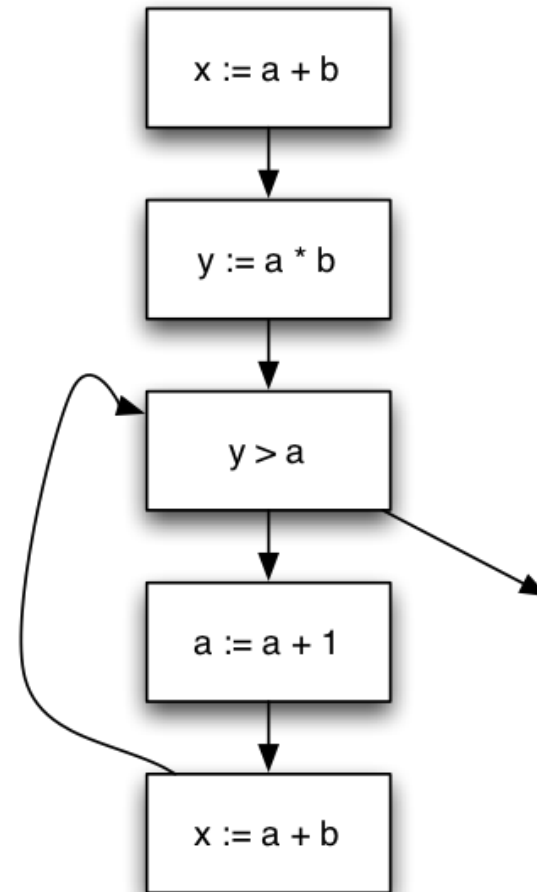
# Control Flow

- A directed graph where
  - Each node represents a statement
  - Edges represent control flow
- Statements may be
  - Assignments  $x = y \text{ op } z$  or  $x = \text{op } z$
  - Copy statements  $x = y$
  - Branches `goto L` or `if relop y goto L`
  - etc



# Control-flow Graph Example

```
x := a + b;  
y := a * b  
While (y > a){  
  a := a + 1;  
  x := a + b  
}
```



# Back-patching

- The problem in generating three address codes in a single pass is that we may not know the labels that control must go to at the time jump statements are generated. So to get around this problem a series of branching statements with the targets of the jumps temporarily left unspecified is generated.
- **Back Patching** is putting the address instead of labels when the proper label is determined.
- Back patching Algorithms perform three types of operations
- 1) **makelist (i)** – creates a new list containing only **i**, an index into the array of quadruples and returns a pointer to the list it has made.
- 2) **Merge (i, j)** – concatenates the lists pointed to by **i** and **j**, and returns a pointer to the concatenated list.
- 3) **Backpatch (p, i)** – inserts **i** as the target label for each of the statements on the list pointed to by **p**.